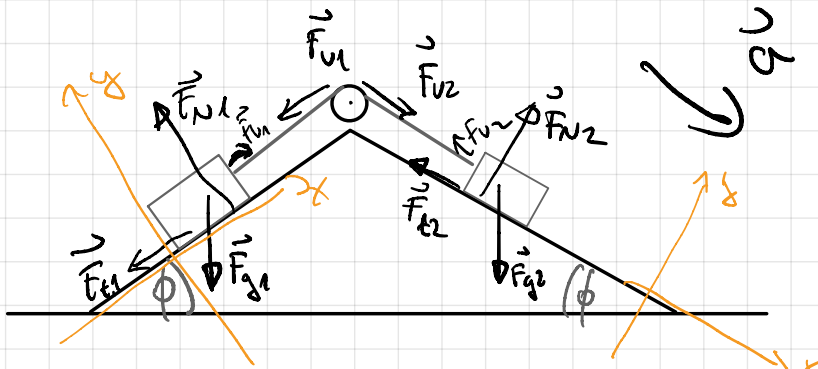
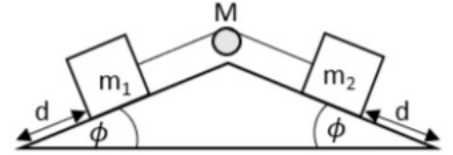


4.) Dve kladi ($m_1=1\text{kg}$ in $m_2=5\text{kg}$) položimo na dvojni klanec z naklonom $\varphi=30^\circ$ in ju povežemo z lahko neraztegljivo vrvjo preko valjastega škripca z maso $M=4\text{kg}$ (glej sliko). Vsaka klada se nahaja na razdalji $d=8\text{m}$ od najbližjega vznožja. Izračunaj hitrost padajoče klade, ko doseže vznožje klanca, če je koeficient trenja za obe kladi $k_r=1/(2\sqrt{3})$. Na začetku vsi trije predmeti mirujejo in vrv na škripcu ne spodrsava.



II. Newton zakon : $\sum \vec{F}_i = m\vec{a}$ za vsako telo 5

II Newton zakon $\sum \vec{M}_i = I\alpha$ za škrupico 5

Sile 2. telo:

$$m_2 \vec{a} = -\vec{F}_{g2} + \vec{F}_{N2} - \vec{F}_{f2} - \vec{F}_{v2}$$

$$x: m_2 a = m_2 g \sin \varphi - k_r F_{N2} - F_{v2} \quad 3$$

$$y: 0 = -m_2 g \cos \varphi + F_{N2}$$

$$\rightarrow F_{N2} = m_2 g \cos \varphi$$

potem se x preoblikuje:

$$m_2 a = m_2 g \sin \varphi - k_r m_2 g \cos \varphi - F_{v2}$$

Sile 1. telo:

$$m_1 \vec{a} = -\vec{F}_{g1} + \vec{F}_{N1} - \vec{F}_{f1} + \vec{F}_{v1}$$

$$x: m_1 a = -m_1 g \sin \varphi - k_r F_{N1} + F_{v1} \quad 3$$

$$y: 0 = -m_1 g \cos \varphi + F_{N1}$$

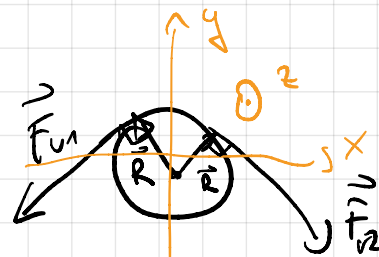
$$F_{v1} = m_1 g \cos \varphi$$

potem $\alpha \times$ poenostavi:

$$\times: m_1 a = -m_1 g \sin \varphi - \mu_t m_1 g \cos \varphi + F_{v1}$$

Navon na šlupe:

$$\sum_i M_i = J \alpha$$



$$M_{v1} \odot$$

$$M_{v2} \otimes$$

$$R F_{v1} - R F_{v2} = -J \cdot \alpha \quad 3$$

$$J \text{ za valj: } \frac{1}{2} m R^2 \quad 1$$

$$\cancel{R F_{v1}} - \cancel{R F_{v2}} = -\frac{1}{2} m R^2 \alpha$$

$$F_{v1} - F_{v2} = -\frac{1}{2} m R \alpha$$

$$\text{spoznal } a = \alpha \cdot R$$

$$= -\frac{1}{2} m a$$

↑
masa valja

\Rightarrow torej imamo 3 enačbe:

$$2. \text{ tel: } m_2 a = m_2 g \sin \varphi - \mu_t m_2 g \cos \varphi - F_{v2}$$

$$1. \text{ telo: } m_1 a = -m_1 g \sin \varphi - \mu_t m_1 g \cos \varphi + F_{v1}$$

$$\text{šlupe: } F_{v1} - F_{v2} = -\frac{1}{2} m a$$

$$\text{iz šlupe izvinim } F_{v2} = F_{v1} + \frac{1}{2} m a$$

1. block + slope: $m_2 a = m_2 g (\sin \theta - \mu_k \cos \theta) - F_{v1} - \frac{1}{2} m a$ } + da
 2. block: $m_1 a = -m_1 g (\sin \theta + \mu_k \cos \theta) + F_{v1}$ } se we beim F_{v1}
 (o. beide vereinigen)

$$(m_1 + m_2) a = m_2 g (\sin \theta - \mu_k \cos \theta) - \frac{1}{2} m a - m_1 g (\sin \theta + \mu_k \cos \theta)$$

$$(m_1 + m_2 + \frac{1}{2} m) a = (m_2 - m_1) g \sin \theta - (m_1 + m_2) g \mu_k \cos \theta$$

$$= g \left[m_2 (\sin \theta - \mu_k \cos \theta) - m_1 (\sin \theta + \mu_k \cos \theta) \right]$$

$$= g \left[m_2 \left(\frac{1}{2} - \frac{1}{4} \right) - m_1 \left(\frac{1}{2} + \frac{1}{4} \right) \right]$$

$$\Rightarrow a = g \frac{\frac{1}{4} m_2 - \frac{3}{4} m_1}{m_1 + m_2 + \frac{1}{2} m}$$

$$a = g \frac{\frac{5}{4} - \frac{3}{4}}{8} = g \frac{\frac{2}{4}}{8}$$

$$1 \quad a = \frac{g}{16} = \underline{\underline{0,625 \text{ m/s}^2}}$$

Weg von dem?

→ aus der Formel

$$d = \frac{1}{2} a t^2 \quad \rightarrow \quad t = \sqrt{\frac{2d}{a}} = \underline{\underline{5,06 \text{ s}}}$$

$$v = a \cdot t = \sqrt{2da} = \underline{\underline{3,16 \text{ m/s}}}$$

2

**Andrej Lozar**

9:34 PM Nov 30



$$1/2MR^2 \cdot a / R = m_2 g (\sin(\varphi) - \mu \cos(\varphi)) -$$

$$a \cdot (m_2 + m_1) - m_1 g (\sin(\varphi) + \mu \cos(\varphi))$$

$$a = g \cdot (m_2 (\sin(\varphi) - \mu \cos(\varphi)) - m_1 (\sin(\varphi) + \mu \cos(\varphi))) / (M/2 + m_1 + m_2)$$

$$a = g / 32$$

$$v = 5 \text{ m/s}$$

**Žiga Gosar**

9:15 PM Dec 1 (edited 9:15 PM Dec 1)

morda še en vmesen rezultat za a:

$$a \cdot (M/2 + m_1 + m_2) = g (m_2/4 - 3/4 m_1)$$

vmesen rezultat za čas do dna

$$t = 7.155 \text{ s (7.224 če } g = 9.81)$$

$$v = \sqrt{5} = 2.236 \text{ m/s (2.2147 m/s če } g = 9.81)$$



Reply or add others with @

$$ST: F = m_R$$

$$M = J \alpha$$

$$ST: \sum F \text{ 1. tel}$$

$$ST: \sum F \text{ 2. tel}$$

$$ST: M_r$$

$$ST \text{ rezultat}$$